

# Experimental Study of Settlement Delay under Asymmetric Information<sup>1</sup>

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# Abstract

## Research Topic

Delay between injury and settlement

## Research Hypothesis

Asymmetric information

## Research Method

Theoretic model & laboratory experimentation

## Research Results

- Delay exists without asymmetric information
- Asymmetric information increases delay
- Average conformance with theory

# Outline

- 1 Introduction
- 2 Theory
- 3 Experimental Design
- 4 Results
- 5 Discussion

# Introduction: Tort Law

## Tort Law

Area of U.S. law involving **civil harms** not arising from contract.

## Types of Harms Covered By Tort Law

- traffic collisions
- product malfunctions
- adverse medical outcomes
- premise-related injuries
- slander
- assault
- battery
- wrongful death
- etc

# Introduction: Definitions

**Plaintiff** the party that was harmed

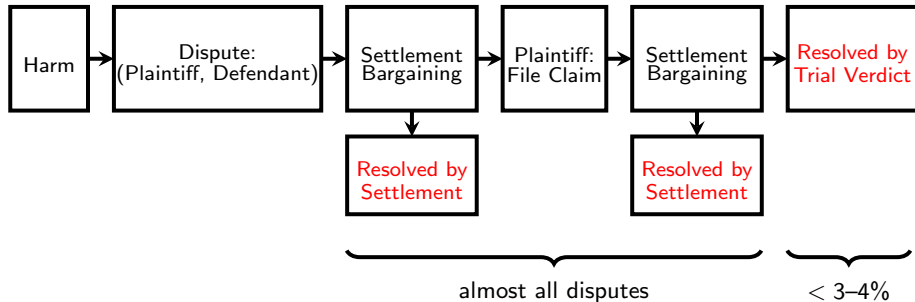
**Defendant** the party alleged to have caused the harm

**Dispute** disagreement over compensation owed to plaintiff

**Trial Verdict** judge/jury determines **liability** and **damages**

**Settlement** parties privately agree on a **compensation package**

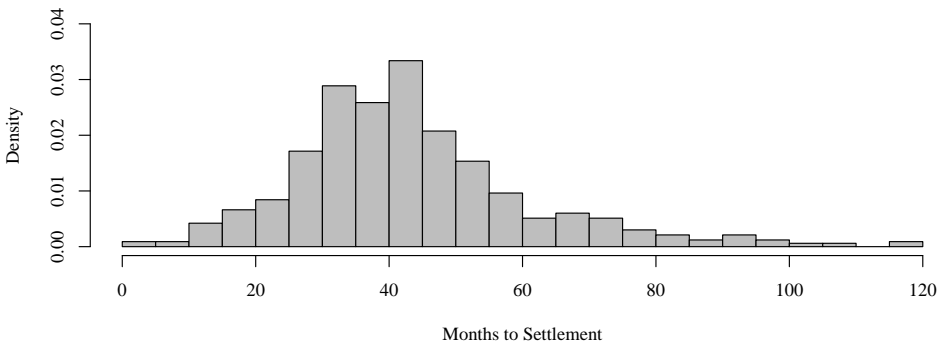
# Introduction: Dispute Resolution



▶ Additional Details

# Introduction: Resolution Timing

Figure: Settlement Timing for Medical Malpractice Disputes



# Introduction: Policy Relevance

## Cost Figures

- 1 Aggregate cost of U.S. tort system about **\$250 billion** per year
- 2 Settled disputes account for about **97%** of costs
- 3 Defense costs  $\approx$  **\$1,000** per month

## Policy Insight

A **small** decrease in average settlement delay could cause a **large** decrease in the social cost of the tort system.



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# Theory: Settlement Delay Puzzle

**Monthly Legal Fees**  $c_p, c_d > 0$  for plaintiff and defendant

**Eventual Settlement** transfer  $S > 0$  after  $t > 1$  months

**Simplification** WLOG, ignore inter-temporal discounting, etc

## Settlement Delay Puzzle

- Any transfer  $S$  at time  $t$  is **Pareto dominated** by a feasible transfer  $S' \in (S - c_p, S + c_d)$  at time  $t - 1$ .
- By iteration, **all disputes should settle instantly**.

# Theory: Settlement Bargaining Model

## Theoretic Model

Slight modification of Spier (1989,1992)

## Asymmetric Information

**Plaintiff asymmetrically informed** about potential damages from a trial verdict

## Structured Bargaining

**Defendant makes settlement proposals**; concatenated ultimatum offer game

## Settlement Delay

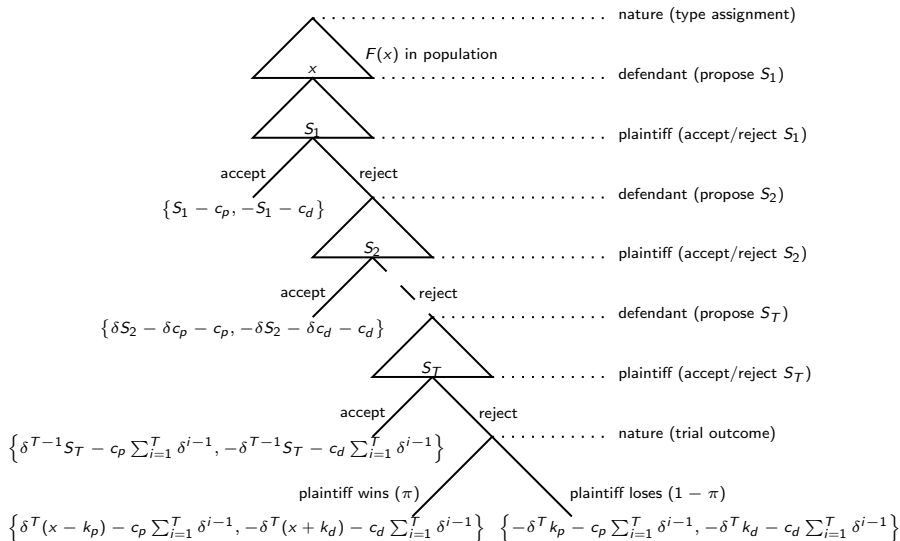
Possible screening equilibrium with rational delay

# Theory: Settlement Bargaining Model

## Model Notation

$x$	potential damages; <b>private information</b> of plaintiff; distributed $F(x)$ on $[\bar{x}, \underline{x}]$ ; (uniform distribution)
$\pi$	probability that plaintiff wins at trial
$T$	final period of bargaining (trial at $T + 1$ )
$c_p, c_d$	negotiation costs paid in periods $1, \dots, T$
$k_p, k_d$	one-time court costs (only for trial verdict)
$\delta$	common per-period discount factor; $\delta \in (0, 1)$
$S_t$	settlement proposal made by defendant in period $t = 1, \dots, T$

# Theory: Game Tree



# Theory: Equilibrium

## Equilibrium Concept

Perfect Bayesian Equilibrium with refinements

▶ Additional Details

## Boundary Solution

For sufficiently large costs, boundary solution where all types of plaintiff settle

▶ Additional Details

## Interior Solution

Some types of plaintiff **never settle**; positive measure of plaintiff types settle in each period

# Theory: Interior Equilibrium Intuition

- ① **Very high** plaintiff-types (big potential damages) **never settle**

▶ Additional Details

- ② All plaintiff-types **indifferent** between all equilibrium proposals

- e.g.  $S_1 \prec S_2$  (not period-1 rational)
- e.g.  $S_1 \succ S_2$  (not period-2 rational)

▶ Additional Details

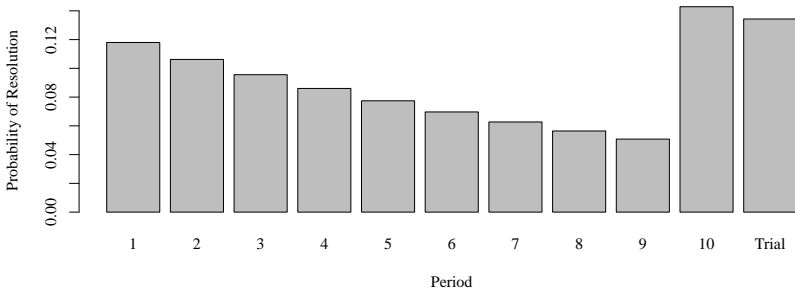
- ③ **Order of settlement** by type makes  $S_1^* \sim S_2^* \sim \dots \sim S_T^*$   
sequentially rational from defendant's perspective

- e.g.  $S_1^* = \delta(S_2^* - c_p)$

▶ Additional Details

# Theory: Equilibrium Predictions

**Figure:** Example of Resolution Timing Distribution



▶ Additional Details



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# Experimental Design: Basic Structure

## Adaptation of Theoretic Model

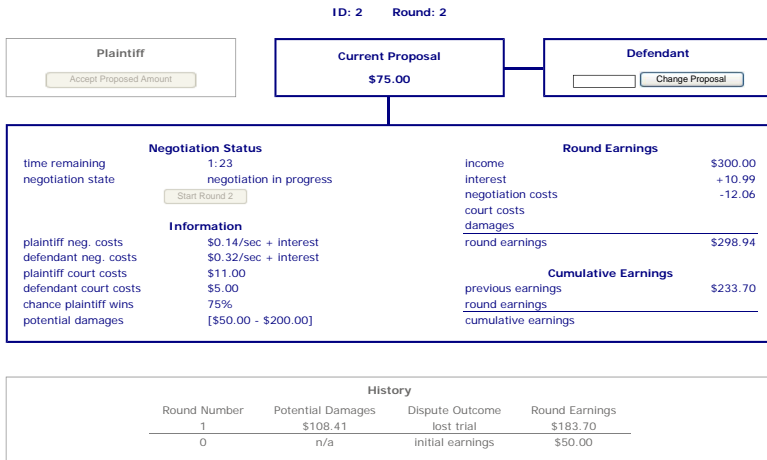
- 1 Exogenous wealth injections
- 2 Interest rate substitution
- 3 Injury as potential damages
- 4 Continuous-time bargaining

## Procedural Practices

- 1 Persistent roles as plaintiff/defendant
- 2 Rich terminology
  - e.g. economic injury + pain and suffering

# Experimental Design: Online Interface

Figure: Interface Screenshot



# Experimental Design: Collected Data

## Collected Data

- Value and timing of all settlement **proposals**
- Value and timing of all **settlements**
- **History** of matchings, random draws, etc

## Online Illustration

- **Continuous-Time Replays**

# Experiments: Identification Strategy

## Symmetric Information

With symmetric information, **zero predicted delay**

## Information Treatment Effect

**Difference in delay** when information asymmetric vs symmetric identifies treatment effect

## Delay Concepts

- Delay-to-Resolution:  $D_R$
- Delay-to-Settlement:  $D_S = D_R | \text{settlement}$

# Experimental Design: Treatment Structure

## Treatments

Information factor (symmetric or asymmetric)  
**crossed** with 5 bargaining environments

## Sequences

Treatments assigned in **pairs**: fixed environment,  
changing information

## Replication

Each sequences replicated 2 times; each treatment  
assigned to 7 rounds

## Sample Size

$2 \text{ replications} \times 10 \text{ treatments} \times 7 \text{ rounds} \times 6$   
disputes per round = 840 disputes

# Experimental Design: Treatment Structure

## Experimental Sequences

Seq.	$T_A$	$T_B$	Environment	Information Seq.
$S_1$	$T_0$	$T_1$	Control	Asymmetric $\rightarrow$ Symmetric
$S_2$	$T_1$	$T_0$	Control	Symmetric $\rightarrow$ Asymmetric
$S_3$	$T_2$	$T_3$	Reverse Costs	Asymmetric $\rightarrow$ Symmetric
$S_4$	$T_3$	$T_2$	Reverse Costs	Symmetric $\rightarrow$ Symmetric
$S_5$	$T_4$	$T_5$	Low Costs	Asymmetric $\rightarrow$ Symmetric
$S_6$	$T_5$	$T_4$	Low Costs	Symmetric $\rightarrow$ Symmetric
$S_7$	$T_6$	$T_7$	Low Asymmetry	Asymmetric $\rightarrow$ Symmetric
$S_8$	$T_7$	$T_6$	Low Asymmetry	Symmetric $\rightarrow$ Symmetric
$S_9$	$T_8$	$T_9$	Law School	Asymmetric $\rightarrow$ Symmetric
$S_{10}$	$T_9$	$T_8$	Law School	Symmetric $\rightarrow$ Symmetric

# Experimental Design: Treatment Structure

## Control Treatment

Prediction of delay under asymmetric information; no delay under symmetric information

▶ Additional Details

## Non-Control Treatments (Asymmetric Information)

Treatment	Description	$\Delta D_R$	$\Delta D_S$
Reverse costs	cost terms swapped	same	same
Low costs	reduced $c_p, c_d$	greater	greater
Low asymmetry	reduced range $\bar{x} - \underline{x}$	lower	same
Law school	law student subjects	same	same

▶ Additional Details



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# Results: Treatment Effect of Asymmetric Information

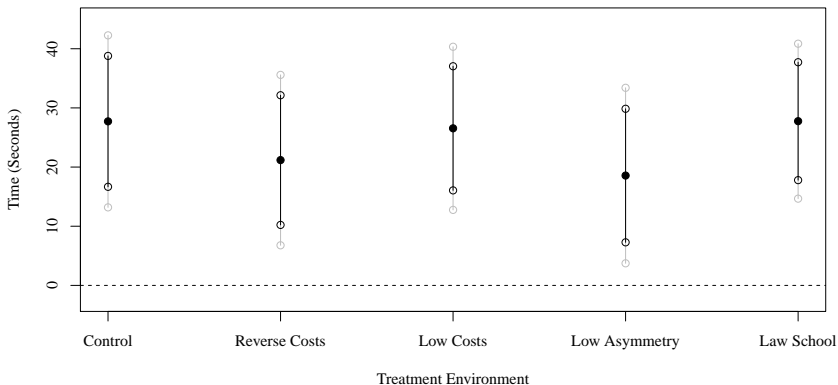
Table: Regression of Delay on Asymmetric Information

Parameter	$D_R$		$D_S$	
	(1)	(2)	(3)	(4)
Constant	46.876*** (5.7243)	10.586† (6.1978)	35.484*** (5.1419)	12.164* (5.7191)
Asymmetric Information	27.728*** (5.6439)	15.467** (5.2354)	31.836*** (4.9396)	23.358*** (4.8077)
Reverse Costs	2.079 (6.5875)	2.060 (5.7408)	9.930† (5.3102)	9.067† (4.8697)
...	...	...	...	...
Reverse Costs × Asymmetric	-6.546 (7.9447)	-4.688 (7.1764)	-15.397* (6.6202)	-13.062* (6.3036)
...	...	...	...	...
Lag(1) D(p)		0.043 (0.0285)		0.073** (0.0270)
Lag(2) D(p)		0.139*** (0.0315)		0.103*** (0.0304)
Lag(1) D(d)		0.159*** (0.0301)		0.082** (0.0297)
Lag(2) D(d)		0.199*** (0.0297)		0.087** (0.0282)
$\sigma_{\xi}^2$	1269.39	1255.71	698.74	701.62
$\sigma_{\eta}^2$	479.44	152.01	531.5	381.84

▶ Additional Details

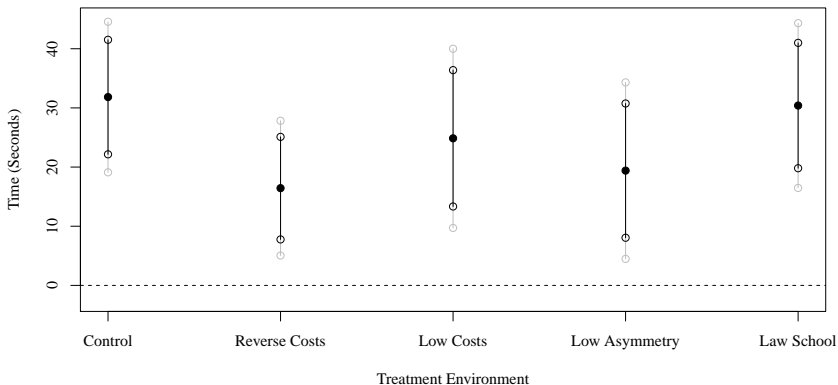
# Results: Treatment Effect of Asymmetric Information

Figure: Effect of Asymmetric Information on  $D_R$



# Results: Treatment Effect of Asymmetric Information

Figure: Effect of Asymmetric Information on  $D_S$



# Observed Settlement Delay

## Result #1

Presence of **asymmetric information** over the potential trial verdict **increases settlement delay** in every treatment environment

- Increase of 27.7 seconds in  $D_R$  about a **50% increase** over symmetric information
- Increase of 31.8 seconds in  $D_S$  about a **95% increase** over symmetric information
- 30 second delay  $1/4$  maximum duration of bargaining

# Results: Treatment Effect of Bargaining Environment

**Table:** Effect of Bargaining Environment (Asymmetric Only)

Treatment Comparison	$\Delta D_R$	$\Delta D_S$
Control → Reverse Costs	-4.468	-5.467
	0.3822	0.3168
Control → Low Costs	9.679	11.372
	0.0481*	0.0549†
Control → Low Asymmetry	-2.681	-6.415
	0.6048	0.2640
Control → Law School	7.229	8.412
	0.1475	0.1547

▶ Additional Details

# Results: Treatment Effect of Bargaining Environment

## Result #2

**Reverse Costs** and **Law School** treatments reveal no obvious biases.

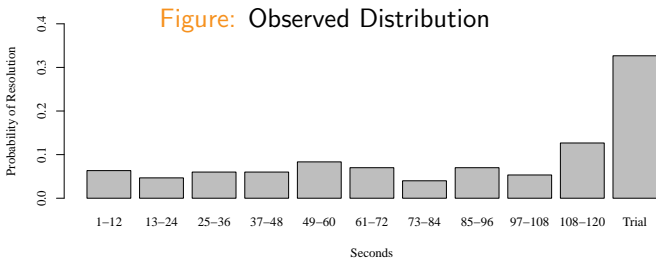
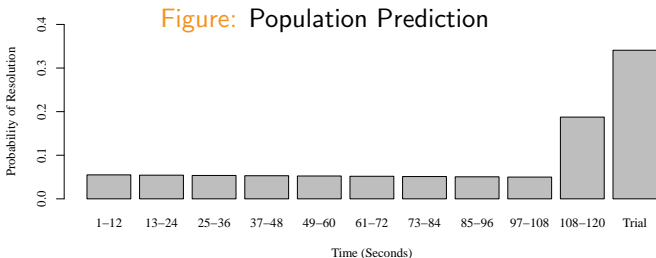
## Result #3

**Low Costs** treatment weakly consistent with theory.

## Result #4

**Low Asymmetry** treatment inconsistent with theory.

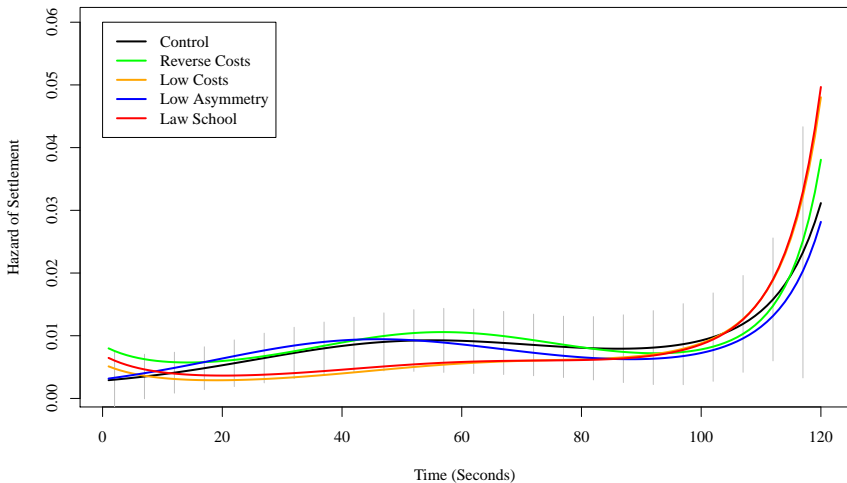
# Results: Distribution of Delay (Asymmetric Information)





# Results: Distribution of Delay (Asymmetric Information)

Figure: Comparative Hazards



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# Comments

## Asymmetric Information

- **Very clear** increase settlement delay in the lab
- Not the only cause of delayed agreement

## Robustness Checks

- Results stable across environment perturbations
- Insensitivity to degree of asymmetry is odd

## Final Analysis

- **Plausible contributor** to pervasive settlement delay

# Appendix

# Outline

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# Appendix: Distribution of Dispute Outcomes

## Percent of Tort Cases Disposed

Trial verdict	2.9%
Settlement	73.4%
Summary/Default Judgment	4.8%
Dismissed/Dropped	9.5%
Arbitration	3.5%
Transfer or Other	5.8%

Source: Smith et al. (1994)

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# Appendix: Equilibrium Refinements

## Assumptions

Focus on **pure strategy** equilibria with the following assumptions:

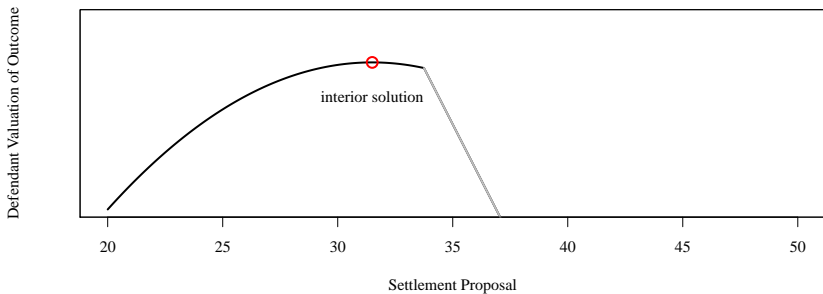
- 1 In every period, the plaintiff expects the net present value of a trial verdict to exceed zero.
- 2 If  $S_t$  is accepted by a plaintiff of type  $x'$ , then it is also accepted by a plaintiff of type  $x < x'$ .
- 3 A proposal weakly greater than the net present value of settlement to a plaintiff of type  $\bar{x}$  is always accepted.
- 4 The population of plaintiff types has potential damages  $x$  distributed uniformly on support  $[\underline{x}, \bar{x}]$ .

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# Appendix: Interior vs Boundary Solutions

Figure: Objective Function and Optimum



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# Appendix: Plaintiff & Defendant Preferences

## Settlement Preferences

$$U_p(S_t) = \delta^{t-1} S_t - c_p \sum_{i=1}^t \delta^{i-1}$$

$$U_d(S_t) = -\delta^{t-1} S_t - c_d \sum_{i=1}^t \delta^{i-1}$$

## Trial Verdict Preferences

$$W_p(x) = \delta^T (\pi x - k_p) - c_p \sum_{i=1}^T \delta^{i-1}$$

$$W_d(x) = -\delta^T (\pi x + k_d) - c_d \sum_{i=1}^T \delta^{i-1}$$

# Appendix: One-Period Equilibrium

## Defendant's Problem

$$\begin{aligned} \min_{S_1} = & P[\text{plaintiff accepts } S_1] \times (\text{cost to settle at } S_1) \\ & + P[\text{plaintiff rejects } S_1] \times E[\text{cost of trial verdict} | S_1 \text{ rejected}] \end{aligned}$$

## Type Revelation

Rejection of  $S_1$  means trial preferred: i.e.  $x > \pi^{-1}(\delta^{-1}S_1 + k_p)$

## Operational Objective Function

$$\max_{S_1} - F(\pi^{-1}(\delta^{-1}S_1 + k_p))(S_1 + c_d) - \int_{\pi^{-1}(\delta^{-1}S_1 + k_p)}^{\bar{x}} (\delta(\pi x + k_d) + c_d) f(x) dx$$

# Appendix: One-Period Equilibrium

## Interior Solution FOC

$$S_1^I : \underbrace{-F(\pi^{-1}(\delta^{-1}S_1^I + k_p))}_{\text{mc of higher } S_1} + \underbrace{\pi^{-1}(k_d + k_p)f(\pi^{-1}(\delta^{-1}S_1^I + k_p))}_{\text{mb of more settlement}} = 0$$

## Boundary Solution

$$S_1^B = \underbrace{\delta(\pi\bar{x} - k_p)}_{\text{NPV of trial verdict to type } \bar{x}}$$

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# Appendix: T-Period Equilibrium

## Interior Solution

$$S_1^I = \delta^T (\pi \underline{x} + k_d) + c_d \sum_{i=1}^{T-1} \delta^i.$$

## Boundary Solution

$$S_1^B = \delta^T (\pi \bar{x} - k_p) - c_p \sum_{i=1}^{T-1} \delta^i.$$

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# Appendix: Interior Solution Path of Play

## Proposal Sequence

$$S_t^* = \begin{cases} \delta^T(\pi \underline{x} + k_d) + c_d \sum_{i=1}^{T-1} \delta^i & t = 1 \\ \delta^{-1} S_{t-1}^* + c_p & t = 2, \dots, T \end{cases}$$

## Settlement Sequence

$$\underline{x}_t = \begin{cases} \underline{x} & t = 1 \\ \underline{x}_{t-1} + \pi^{-1} \delta^{-T+t-1} (c_p + c_d) & t = 2, \dots, T \\ \underline{x}_{t-1} + \pi^{-1} (k_p + k_d) & t = T + 1 \end{cases}$$

## Ex Ante Probability of Resolution

$$p_t = \begin{cases} \pi^{-1} \delta^{-T+t} (c_p + c_d) / (\bar{x} - \underline{x}) & t = 1, \dots, T - 1 \\ \pi^{-1} (k_p + k_d) / (\bar{x} - \underline{x}) & t = T \\ 1 - \sum_{i=1}^T p_i & t = T + 1 \end{cases}$$

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# Appendix: Control Parameter Values

## Control Parameter Values

Parameter	Value	Translation to Experiment
$\underline{x}$	\$50.00	economic injury = \$50.00
$\bar{x}$	\$200.00	pain and suffering $\in$ [\$0.00, \$150.00]
$\pi$	0.75	(direct translation)
$T$	120	continuous bargaining
$\delta$	$1000/1001$	$r = 0.001$
$c_p$	\$0.14	(direct translation)
$c_d$	\$0.32	(direct translation)
$k_p$	\$11.00	(direct translation)
$k_d$	\$5.00	(direct translation)

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# Appendix: Non-Control Parameter Values

## Non-Control Parameter Values

Parameter	Control	Reverse Costs	Low Costs	Low Asymmetry
$\underline{x}$	\$50.00	—	—	—
$\bar{x}$	\$200.00	—	—	\$150.00
$\pi$	0.75	—	—	—
$T$	120	—	—	—
$\delta$	1000/1001	—	—	—
$c_p$	\$0.14	\$0.32	\$0.07	—
$c_d$	\$0.32	\$0.14	\$0.16	—
$k_p$	\$11.00	\$5.00	—	—
$k_d$	\$5.00	\$11.00	—	—

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# Appendix: Regression Details

## Sample Size

- $D_R$  sample:  $n = 620$  pairs,  $M \in \{1, \dots, 4\}$  repetitions (unbalanced),  $N = 1200$  observations
- $D_S$  sample:  $n = 532$  pairs,  $M = \{1, \dots, 4\}$  repetitions (unbalanced),  $N = 842$  observations

## Effects

- Random pair-effects
- Fixed round-effects

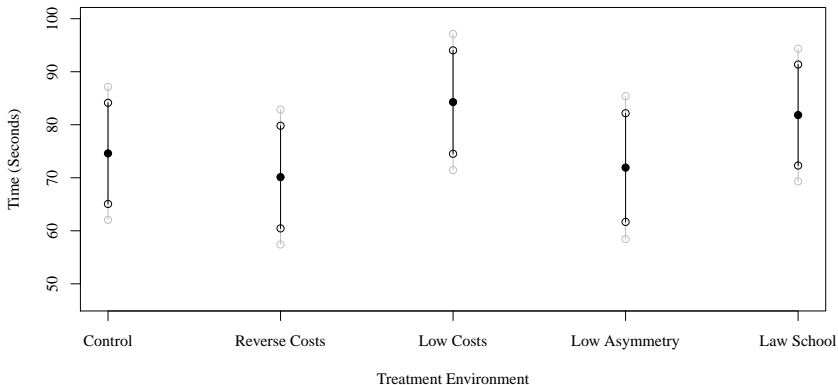
## Treatment Effects with Lag Terms

- $D_R$  effect: 33.6 seconds
- $D_S$  effect: 35.6 seconds

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# Appendix: Treatment Effect of Bargaining Environment

Figure: Effect of Bargaining Environment on  $D_R$



# Appendix: Treatment Effect of Bargaining Environment

Figure: Effect of Bargaining Environment on  $D_S$

